

Genetic Parameters in Animal Breeding



Modul No. 3: Animal Breeding

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Definition: Genetic Parameters

- Genetic parameters are the values that define the genetic potential and heritability of traits within a population of animals.
- **Heritability** measures the proportion of the total phenotypic variation in a trait that can be attributed to genetic variation.
 - It ranges from 0 to 1.
- **Genetic correlations** quantify the degree to which genes influencing one trait also influence another trait (-1 to +1).
 - Positive genetic correlations indicate that improving one trait will also improve another.
 - Negative genetic correlations indicate a trade-off between traits, wherein improving one trait may decrease another.
- Coefficient of repeatability (r)



Methods of estimating genetic parameters

- What is necessary to know?
 - Phenotypic values (measured performance)
 - Relationships (determined using pedigree data or genomic data)
- How do we estimate them?
 - We have to use statistical methods, especially linear models (regression analysis, analysis of variance, analysis of covariance...)
 - Estimate the value of genetic and environmental variance

$$s_P^2 = s_G^2 + s_E^2$$

$$s_P^2 = s_A^2 + s_D^2 + s_I^2 + s_E^2$$

Statistical methods

- Analysis of variance (ANOVA) – means of square
 - Balanced data
 - Unbalanced data
 - Henderson's methods (SAS, Harvey, SPSS, ...)
- Likelihood methods
 - Maximum likelihood (ML)
 - restricted maximum likelihood (REML)
- Bayesian Methods
 - Monte Carlo, Gibbs Sampling



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Using family performances to estimate heritability

- High heritability

- **low** variance in families
- **high** variance between families

- Low heritability

- **high** variance in families
- **low** variance between families

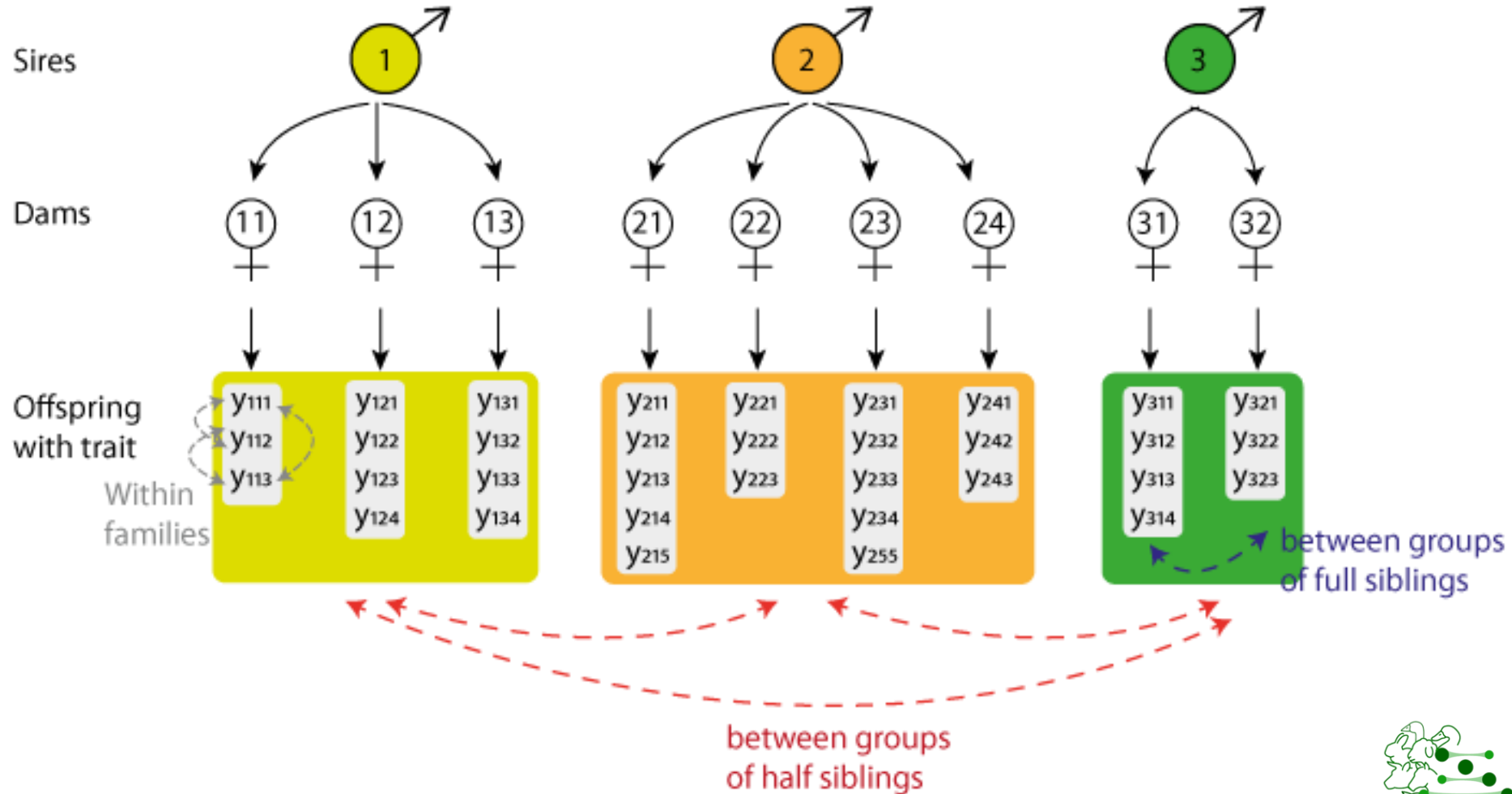
Total var = var between families + var within families

Same as *cov* within families



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Variation between and within groups of related individuals



Analysis of variance – ANOVA

- **Principle:**
 - Detection of important differential effect sources
 - Determine their contribution to the total variance
 - Variance is derived from the sum of squares and degrees of freedom
- Necessary to have individuals in groups with the same degree of relationship
 - Groups of half-siblings by father
 - parents - offspring
- **Covariance between** members of families or groups = component of **variance between groups**
- Decomposition of sum of squares (SS) by sources of variance (animal group) and calculation of mean square (MS)



Estimation of h^2 in families of half-siblings

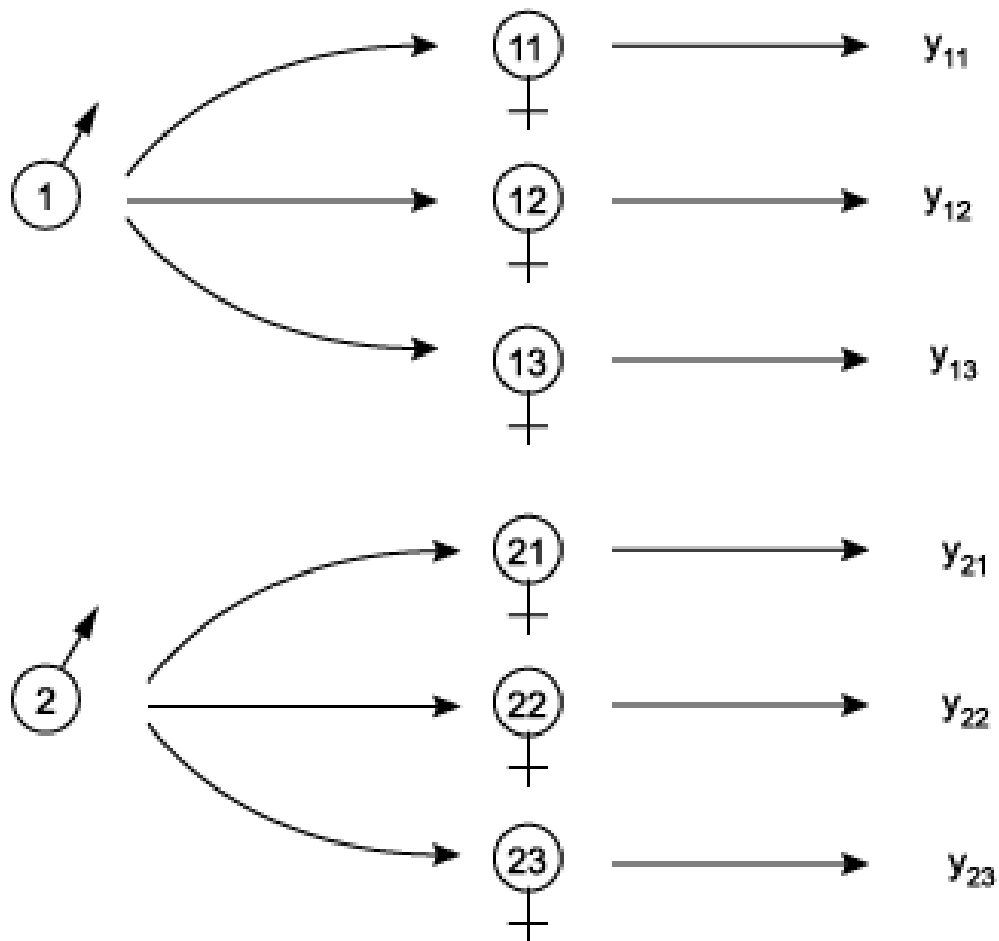
- **Variance between families of half-siblings**
= covariation between half-siblings in groups = $\frac{1}{4} V_A$
- **Variance within families of half-siblings in groups**
= residual variance = $V_P - \frac{1}{4} V_A = \frac{3}{4} V_A + V_E + V_D$

$$h^2 = \frac{V_A}{V_P} = \frac{4V_S}{V_P}$$



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Experimental design for sire model



Variance between families of half-siblings =
covariation between half-siblings in groups

$$\text{cov}_{(\text{sibs})} = \text{cov}(y_{ij}, y_{ik}) = \sigma_s^2$$

$$4\sigma_s^2 = \sigma_A^2$$

This can be
estimated by
ANOVA

Sire model – 1 way ANOVA

- Estimation based on correlation of half-siblings

$$y_{ij} = \mu + a_i + e_{ij}$$

$$V_S = \sigma_S^2 = \frac{1}{4} \sigma_A^2$$

$$\sigma_y^2 = \sigma_S^2 + \sigma_e^2$$

$$V_e = \sigma_e^2 = \frac{3}{4} \sigma_A^2 + \sigma_E^2$$

- the assumption that fathers and mothers are unrelated, randomly mated, without selection
- balanced design: p sires are mated with n dams \Rightarrow 1 offspring

Sire model – ANOVA table

Source of variability	Df	SS	MS	E(MS)
Between families (between fathers)	$p - 1$	$SS_s = \sum_{i=1}^p n_i (\bar{y}_i - \bar{y})^2$	$MS_s = \frac{SS_s}{(p-1)}$	$\sigma_e^2 + n_0 \sigma_g^2$
Within families (rezidual)	$n - p$	$SS_e = \sum_{i=1}^p \sum_{j=1}^{n_i} (y_{ij} - \bar{y}_i)^2$	$MS_e = \frac{SS_e}{(n-p)}$	σ_e^2
Total	$n - 1$	$SS_c = \sum_{i=1}^p \sum_{j=1}^{n_i} (y_{ij} - \bar{y})^2$	$MS_c = \frac{SS_c}{(n-1)}$	

$$MS_e \doteq \sigma_e^2$$

$$MS_a = \sigma_e^2 + n_0 \sigma_g^2 = MS_e + n_0 \sigma_g^2$$

$$n_0 = \frac{n - \left(\sum n_i^2 / n \right)}{n - 1}$$

$$\sigma_g^2 = \frac{MS_a - MS_e}{n_0}$$

Intraclass correlation coefficient

$$\rho = r_i = \frac{\sigma_g^2}{\sigma_g^2 + \sigma_e^2}$$

$$h^2 = 4\rho = 4 \frac{\sigma_g^2}{\sigma_g^2 + \sigma_e^2} = 4 \frac{\sigma_g^2}{\sigma_p^2}$$

Finalization of the calculation

- estimation of the coefficient of heritability
- Estimation of standard error of h^2

$$se_{h^2} = 4.s_{\rho} = 4.\sqrt{\frac{2.(n-1)(1-\rho)^2(1+(n_0-1)\rho)^2}{n_0(n_0-p)(p-1)}}$$

$$h^2 \pm se_{h^2}$$



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Importance of Heritability

- High heritability indicates that phenotypic variability of trait in population is largely influenced by genetic variability.
- Breeding programs can focus on traits with high heritability to achieve faster genetic progress (genetic gain).



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Conclusion

- Understanding genetic parameters is crucial for effective animal breeding.
- Heritability, genetic correlations, and advancements like GWAS and genomic selection enable the targeted improvement of traits for increased productivity and profitability in animal agriculture.



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